## Acknowledgement of Country

The University of Queensland (UQ) acknowledges the Traditional Owners and their custodianship of the lands on which we meet.

We pay our respects to their Ancestors and their descendants, who continue cultural and spiritual connections to Country.

We recognise their valuable contributions to Australian and global society.


## General Information:

- We are currently located in Building 69

E
Emergency evacuation point

- Food court and bathrooms are located in Building 63
- If you are experiencing cold/flu symptoms or have had COVID in the last 7 days please ensure you are wearing a mask for the duration of the
 module


## Data Agreement

To maximize your learning experience, we will be working with genuine human genetic data, during this module.

Access to this data requires agreement to the following in to comply with human genetic data ethics regulations

Please email pctgadmin@imb.com.au with your name and the below statement to confirm that you agree with the following:
"I agree that access to data is provided for educational purposes only and that I will not make any copy of the data outside the provided computing accounts."

| $\begin{aligned} & \text { 9:00- } \\ & \text { 10:30am } \end{aligned}$ | Lecture 1: Introduction to Mendelian randomization. We will introduce the concept of Mendelian randomization, the assumptions underlying the approach, and empirical examples involving application of the method. | David Evans |
| :---: | :---: | :---: |
| $\begin{aligned} & \text { 10:30- } \\ & \text { 11:00am } \end{aligned}$ | Break |  |
| $\begin{aligned} & 11: 00- \\ & \text { 12:30pm } \end{aligned}$ | Practical 1: Single sample Mendelian randomization. Software: R. | Daniel Hwang John Kemp Gunn-Helen <br> Moen <br> Nicole <br> Warrington |
| $\begin{aligned} & 12: 30- \\ & 1: 30 \mathrm{pm} \\ & \hline \end{aligned}$ | Lunch break |  |
| $\begin{aligned} & 1: 30 \mathrm{pm}- \\ & 3: 00 \mathrm{pm} \end{aligned}$ | Lecture 2: Sensitivity Analyses in Mendelian randomization. We will introduce methods for detecting and/or correcting for horizontal pleiotropy in Mendelian randomization analyses including heterogeneity testing, MR Egger, MR weighted median and MR modal approaches. | David Evans |
| 3:00-3:30pm | Break |  |
| 3:30-4:30pm | Practical 2: Two sample Mendelian randomization. Software: R, MR Base. | Daniel Hwang John Kemp Gunn-Helen Moen Nicole Warrington |
| 4:30-5pm | Questions and Discussion |  |


| Day 2 (June 22 ${ }^{\text {nd }}$ Wednesday): Structural Equation Modelling |  |  |
| :---: | :---: | :---: |
| 9-10:30am | Lecture 3: Introduction to Structural Equation Modelling. We will introduce the technique of structural equation modelling. Concepts that will be covered include full information maximum likelihood (FIML), optimization, path analysis and covariance algebra. We will discuss examples of structural equation modelling for genetically informative data. | David Evans |
| $\begin{aligned} & \hline \text { 10:30- } \\ & \text { 11:00am } \end{aligned}$ | Break |  |
| $\begin{aligned} & \text { 11:00- } \\ & \text { 12:30pm } \end{aligned}$ | Practical 3: Path Tracing Rules, Covariance Algebra, Likelihood | Daniel Hwang <br> John Kemp <br> Gunn-Helen <br> Moen <br> Nicole <br> Warrington |
| $\begin{aligned} & 12: 30- \\ & 1: 30 \mathrm{pm} \end{aligned}$ | Lunch break |  |
| $\begin{aligned} & 1: 30 \mathrm{pm}- \\ & 3: 00 \mathrm{pm} \end{aligned}$ | Lecture 4: Structural Equation Modelling (continued) and Genomic SEM. We introduce Genomic SEM, an exciting new method to analyse summary results statistics from GWAS. | David Evans |
| 3:00-3:30pm | Break |  |
| 3:30-4:30pm | Lecture 5: Directed Acyclic Graphs (DAGs). We will introduce Directed Acyclic Graphs and illustrate how they can be used to inform study design, analysis of data and understand the implications of confounding, bias and missing data. | David Evans |
| 4:30-5:00pm | Questions and Discussion | All speakers |

## Introduction to Mendelian Randomization

David Evans ${ }^{1,2,3}$<br>1 Institute for Molecular Bioscience, University of Queensland<br>2 University of Queensland Diamantina Institute 3 MRC Integrative Epidemiology Unit, University of Bristol

## This Session

- Problems with observational data
- Randomized controlled trials
- Mendelian Randomization (MR):
- How it works
- Core assumptions
- Calculating causal effect estimates
- MR example
- Limitations of MR


## The Problem with Inferring Causality in Observational Studies

## 



CHD risk according to duration of current Vitamin E supplement use compared to no use


Rimm et al NEJM 1993; 328: 1450-6

## Use of vitamin supplements by US adults, 1987-2000



Source: Millen AE, Journal of American Dietetic Assoc 2004;104:942-950

## Vitamin E supplement use and risk of Coronary Heart Disease



Stampfer et al NEJM 1993; 328: 144-9; Rimm et al NEJM 1993; 328: 1450-6; Eidelman et al Arch Intern Med 2004; 164:1552-6

# MANY OTHER EXAMPLES 

VITAMIN C, VITAMIN A, HRT, MANY DRUG TARGETS.......

## WHAT'S THE EXPLANATION?

## Vitamin E levels and confounding risk factors:



Women's Heart and Health Study Lawlor et al, Lancet 2004

## Confounding

Smoking, diet, alcohol, socioeconomic position....

## Confounders



## Exposure

Outcome

Vitamin E
Heart disease

# Classic limitations to "observational" science 

- Confounding
- Reverse Causation
- Bias



## RCTs: the Gold Standard in Inferring Causality



## The Need for Observational Studies

- Randomized Controlled Trials (RCTs):
- Not always ethical or practically feasible eg anything toxic
- Expensive, requires experimentation in humans
- Impractical for long follow up times
- Should only be conducted on interventions that show very strong observational evidence in humans
- Observational studies:
- Association between environmental exposures and disease measured in observational designs (non-experimental)
eg case-control studies or cohort studies
- Reliably assigning causality in these types of studies is very limited


## Mendelian randomization



How can it help observational epidemiology?

## What does MR do?

- Assess causal relationship between two variables
- Estimate magnitude of causal effect


## How does it do this?

By harnessing Mendel's laws of inheritance

## Mendel's Laws of Inheritance



1. Segregation: alleles separate at meiosis and a randomly selected allele is transmitted to offspring
2. Independent assortment: alleles for separate traits are transmitted independently of one another

Mendel in 1862

## Mendelian randomization and RCTs

## MENDELIAN RANDOMIZATION

+ independent assortment
RANDOM SEGREGATION OF ALLELES



## CONFOUNDERS EQUAL BETWEEN GROUPS <br> 

 GROUPSOUTCOMES COMPARED BETWEEN GROUPS

## Mendelian randomization: Smoking and Lung Cancer

| MENDELIAN |
| :---: |
| RANDOMIZATION |

+ independent assortment
RANDOM SEGREGATION OF ALLELES


CONFOUNDERS EQUAL BETWEEN GROUPS

LUNG CANCER COMPARED BETWEEN GROUPS


# Mendelian Randomization: 3 Core Assumptions 

## Confounders

SNP $\qquad$ Exposure
Outcome

(3)
(1) SNP is associated with the exposure
(2) SNP is NOT associated with confounding variables
(3) SNP ONLY associated with outcome through the exposure

## Why are genetic associations special?

- Robustness to confounding due to Mendel's laws:
- Law of segregation: inheritance of an allele is random and independent of environment etc
- Law of independent assortment: genes for different traits segregate independently (assuming not in LD)
- The direction of causality is known - always from SNP to trait
- Genetic variants are potentially very good instrumental variables
- Using genetic variants as IVs is a special case of IV analysis, known as Mendelian randomization


## Calculating Causal Effect Estimates



After SNP identified robustly associated with exposure of interest:

- Wald Estimator
- Two-stage least-squares (TSLS) regression


## Calculating Causal Effect Estimates




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Two-stage
Least Squares (2SLS):
(1) Regress exposure on SNP \& obtain predicted values
(2) Regress outcome on predicted exposure (from $1^{\text {st }}$ stage regression)
(3) Adjust standard errors
*Needs to be done in the one sample ("Single sample MR")

## Calculating Causal Effect Estimates




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Two-stage Least Squares (2SLS):
(1) Regress exposure on SNP \& obtain predicted values
(2) Regress outcome on predicted exposure (from $1^{\text {st }}$ stage regression)
(3) Adjust standard errors

This gives you: difference in outcome per unit change in (genetically-predicted) exposure
Genetically determined exposure $\rightarrow$ "randomized" $\rightarrow$ can ascribe causality
(if assumptions are met)
*Needs to be done in the one sample ("Single sample MR")

## MR can also be performed using just the results from GWAS

- Also known as two-sample MR, SMR, or MR with summary data etc
- Advantages:
- The data is readily available, non-disclosive, free, open source
- The exposure and outcome might not be measured in the same sample
- The sample size of the outcome variable, key to statistical power, is not limited by requiring overlapping measures of the exposure
- Disadvantages:
- Some extensions of MR not possible, e.g. non-linear MR, use of GxE for negative controls, various sensitivity analyses


## Calculating Causal Effect Estimates

Confounders


$$
\beta_{\text {SNP-OUTCOME }}=\beta_{\text {CAUSAL EXP-OUTCOME }} \times \beta_{\text {SNP-EXPOSURE }}
$$

*Can be used in different samples ("Two sample MR")

## Calculating Causal Effect Estimates



BP and weight:

*Can be used in different samples ("Two sample MR")

## Generate causal estimate Two-stage least squares

```
library(sem)
mod1 <- tsls(outcome ~ exposure, ~ allele.score, data=data)
    # two-stage least squares with allele score
mod2 <- tsls(outcome ~ exposure, ~ rs123 + rs456 + rs789 + rs1011 + rs1213, data=data)
    # two-stage least squares with individual SNPs
library(AER)
mod3 <- ivreg(outcome ~ exposure | allele.score, data=data)
mod4 <- ivreg(outcome ~ exposure | rs123 + rs456 + rs789 + rs1011 + rs1213, data=data)
```


## MR Example using CRP

- C-Reactive Protein (CRP) is a biomarker of inflammation
- It is associated with BMI, metabolic syndrome, CHD and a number of other diseases
- It is unclear whether these observational relationships are causal or due to confounding or reverse causality
- This question is important from the perspective of intervention and drug development


## Using a genetic instrument for proinflammatory CRP



TWO ALTERNATIVES

1. If CRP DOES NOT causally affect cardiometabolic traits:

CRP gene variant should NOT be related to cardiometabolic traits
2. If CRP CAUSALLY affects metabolic traits:

CRP gene variant should also be related to these metabolic traits
"Bi-directional Mendelian Randomization": Testing causality and reverse causation


|  | Effect estimates |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Outcome <br> / <br> explanatory <br> variable | Observational | Instrumental <br> variable | $\boldsymbol{P}_{\text {Iv }}$ | $\boldsymbol{P}_{\text {diff }}$ | $\boldsymbol{F}_{\text {first }}$ |
| CRP/BMI | 1.075 <br> $(1.073,1.077)$ | 1.06 <br> $(1.02,1.11)$ | 0.002 | 0.6 | 50.2 |




## Limitations to Mendelian Randomization

1- Population stratification

2- Canalisation ("Developmental compensation")

3- The existence of instruments

4- Power and "weak instrument bias"

5- Pleiotropy

## Power and Weak Instruments

- Power:
- Genetic variants explain very small amounts of phenotypic variance in a given trait
- VERY large sample sizes are generally required
- Weak instruments:
- Genetic variants that are weak proxies for the exposure
- Results in biased causal estimates from MR
- Different impact of the bias from weak instruments:
- Single Sample MR: to the confounded estimate
- Two-Sample MR: to the null


## Using Multiple Genetic Variants as Instruments



Figure I. DAG for a Mendelian randomisation analysis using four genetic variants as instrumental variables for the effect of fat mass on bone mineral density.

Palmer et al (2011) Stat Method Res

- Allelic scores
- Testing multiple variants individually
- Meta-analyse individual SNPs


# Calculating Power in Mendelian Randomization Studies 

$\rho-c$ mRnd: Power calculations f... $\times$
mRnd: Power calculations for Mendelian Randomization


## Limitations to Mendelian Randomization

1- Population stratification

2- Canalisation ("Developmental compensation")

3- The existence of instruments

4- Power (also "weak instrument bias")

## 5- Pleiotropy

## Pleiotropy

- Genetic variant influences more than one trait
- Horizontal vs Vertical pleiotropy



## Pleiotropy

- Genetic variant influences more than one trait
- Pleiotropy only violates MR's assumptions if it involves a pathway outside that of the exposure and is a pathway that affects your outcome

Violation


## MR Base

Jie "Chris" Zheng
http://www.mrbase.org/


Gib Hemani


Phil Haycock


i About
[I. Acknowledgements

* Data access agreement

Logged in as
David Evans
epxde@bristol.ac.uk

## * Perform MR analysis

$\ddagger$ Choose exposures
Fhoose outcomes
$\ddagger$ Run MR
Q Quick SNP lookup

## Select methods for analysis

Many methods exist for performing two sample MR. Different methods have sensitivities to different potential issues, accommodate different scenarios, and vary in their statistical efficiency.

Choose which methods to use:

- Wald ratio
$\square$ Fixed effects meta analysis (simple SE)
$\square$ Fixed effects meta analysis (delta method)
Random effects meta analysis (delta method)
$\square$ Maximum likelihood
- MR Egger
- MR Egger (bootstrap)
- Weighted median

Penalised weighted median

- Inverse variance weighted


## LD clumping

Most two sample MR methods require that the instruments do not have LD between them.

## Linkage disequilibrium

- Do not check for LD between SNPs
- Use clumping to prune SNPs for LD


## LD proxies

If a particular exposure SNP is not present in an outcome dataset, should proxy SNPs be used instead through LD tagging?

- Use proxies?

Minimum LD Rsq value
0.6


- Allow palindromic SNPs?

MAF threshold for aligning palindromes
$0.01 \quad 0.3 \quad 0.49$


## Submit

Once you have selected exposures, outcomes, and analysis options you are ready to perform the analysis




## Useful References

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$\triangleright$ Zheng et al. (2017). Recent developments in Mendelian randomization studies. Curr Epidemiol Rep, 4(4), 330-345.

